

$P_2 \rightarrow$  output power $P_1 \rightarrow$  input power

$$G = \log_{10} \frac{P_2}{P_1} \quad \text{bel} \rightarrow (\text{unit})$$

 $V_2 \rightarrow$  output Voltage $V_1 \rightarrow$  input Voltage

Generally  $\frac{P_2}{P_1}$  is proportional with  $(V_2)^2$   
 $\frac{P_1}{P_1}$  is proportional with  $(V_1)^2$

$$G_{dB} = \left[ \log_{10} \frac{P_2}{P_1} \right] \times 10 \quad \text{dB} \rightarrow \text{decibel}$$

$$G_{dB} = 10 \log_{10} \frac{P_2}{P_1} = 10 \log_{10} \frac{\frac{(V_2)^2}{R_2}}{\frac{(V_1)^2}{R_1}} = 20 \log_{10} \frac{V_2}{V_1} \quad \text{decibel}$$

Gain in dB	$G_{dB} = 20 \log_{10} \frac{V_2}{V_1}$	$G = \frac{V_2}{V_1}$ (linear value)
------------	---	--------------------------------------

Bode plot drawing approximately  $G_{dB} = 20 \log_{10} \frac{V_2}{V_1}$  in logarithmic scale (Magnitude response)

Phase response  $\angle G$  in logarithmic scale

advantage of bode plot: Magnitude responses are multiplied in

$$|A_{vT}| = |A_{v1}| |A_{v2}| \dots |A_{vn}|$$

cascaded connection in linear scale

if logarithmic scale and gains in terms of dB are used

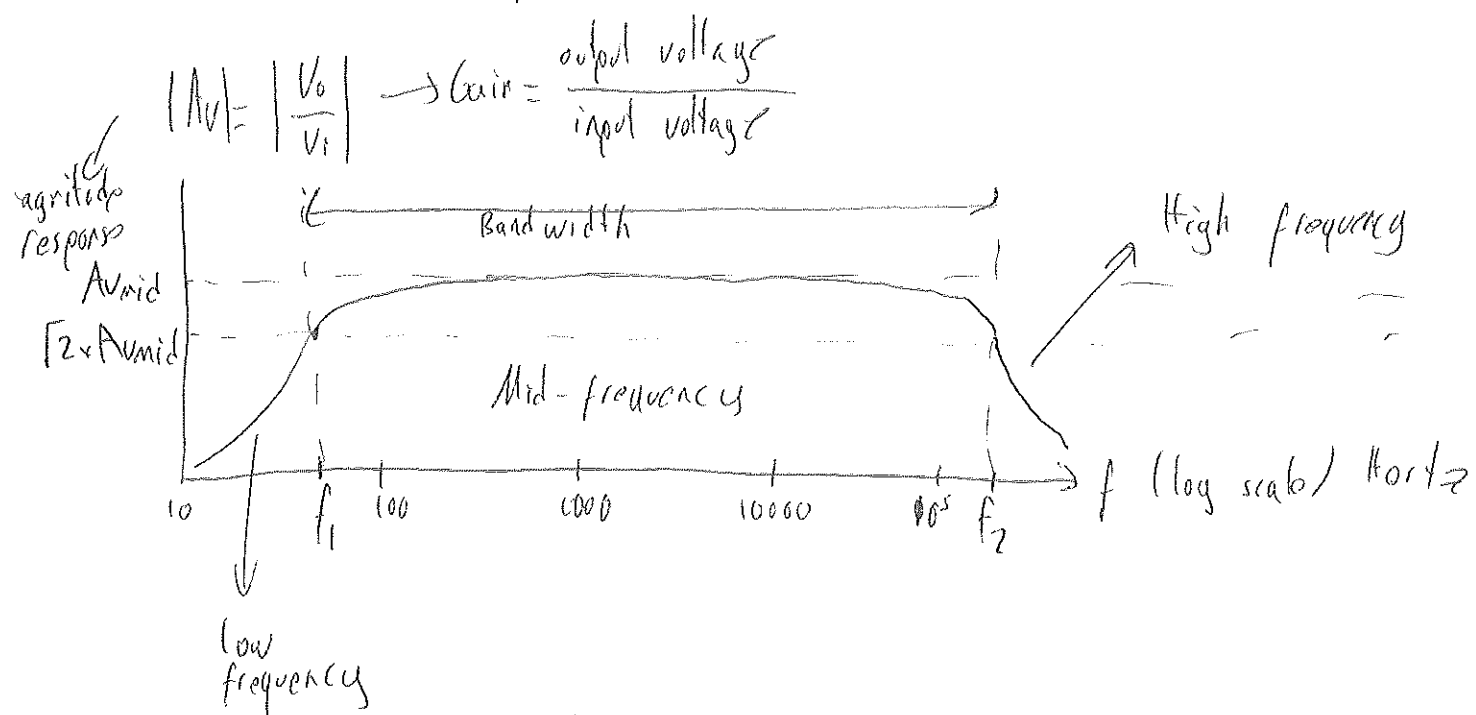
$$G_{dB_T} = G_{dB_1} + G_{dB_2} + \dots + G_{dB_n}$$

in bode plot gain response in dB should be added

### General frequency considerations

At low frequencies, we shall find that the coupling and bypass capacitors can no longer be replaced by short-circuit approximation because their reactance values increase in low frequencies

RC coupled amplifiers (shows bandpass characteristics)



↳ the drop in RC-coupled amplifiers is due to the increasing reactance of  $C_c, C_s, C_E$

$A_{mid} = \text{Midband-gain}$

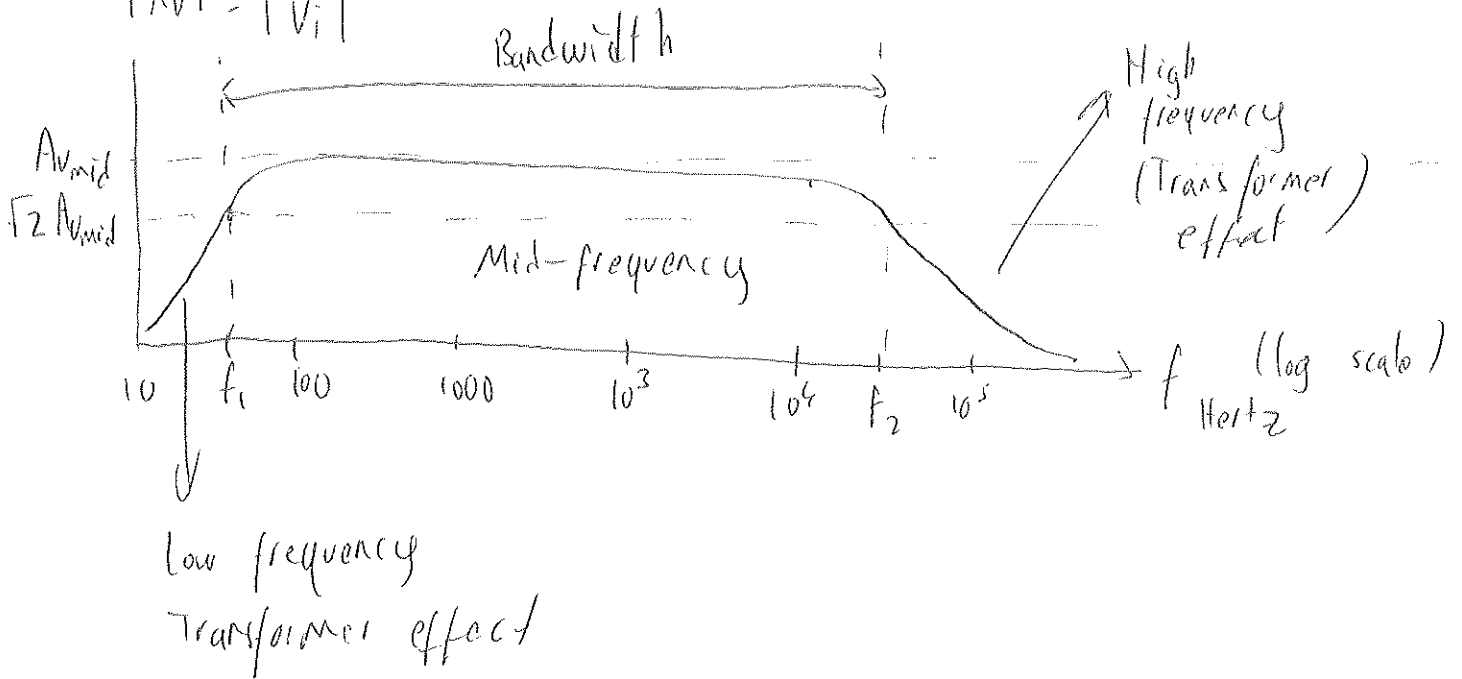
$$\frac{1}{\sqrt{2}} = 0.707 = \frac{1}{\sqrt{2}}$$

$\downarrow$  collector capacitance (BJT)  
 $\downarrow$  source capacitance (FET)  
 $\downarrow$  emitter capacitance (BJT)

At higher frequencies parasitic capacitances of the network (circuit) and active devices and frequency dependence of the gain response of the BJT or FET or tube decreases magnitude

## Transformer-coupled amplifier

$$|A_v| = \left| \frac{V_o}{V_i} \right|$$



The drop in the gain at the low frequencies at the transformer coupled system (amplifier) is due to "transformer action". The transformer and its corresponding equivalent circuit behaves a short circuit at low frequencies (at the input terminals of the transformer) as it has very low magnetizing ~~inductance~~ inductive reactance values at low frequencies:

$$(X_L = 2\pi fL)$$

↓ reactance  
due to inductive element  $L$

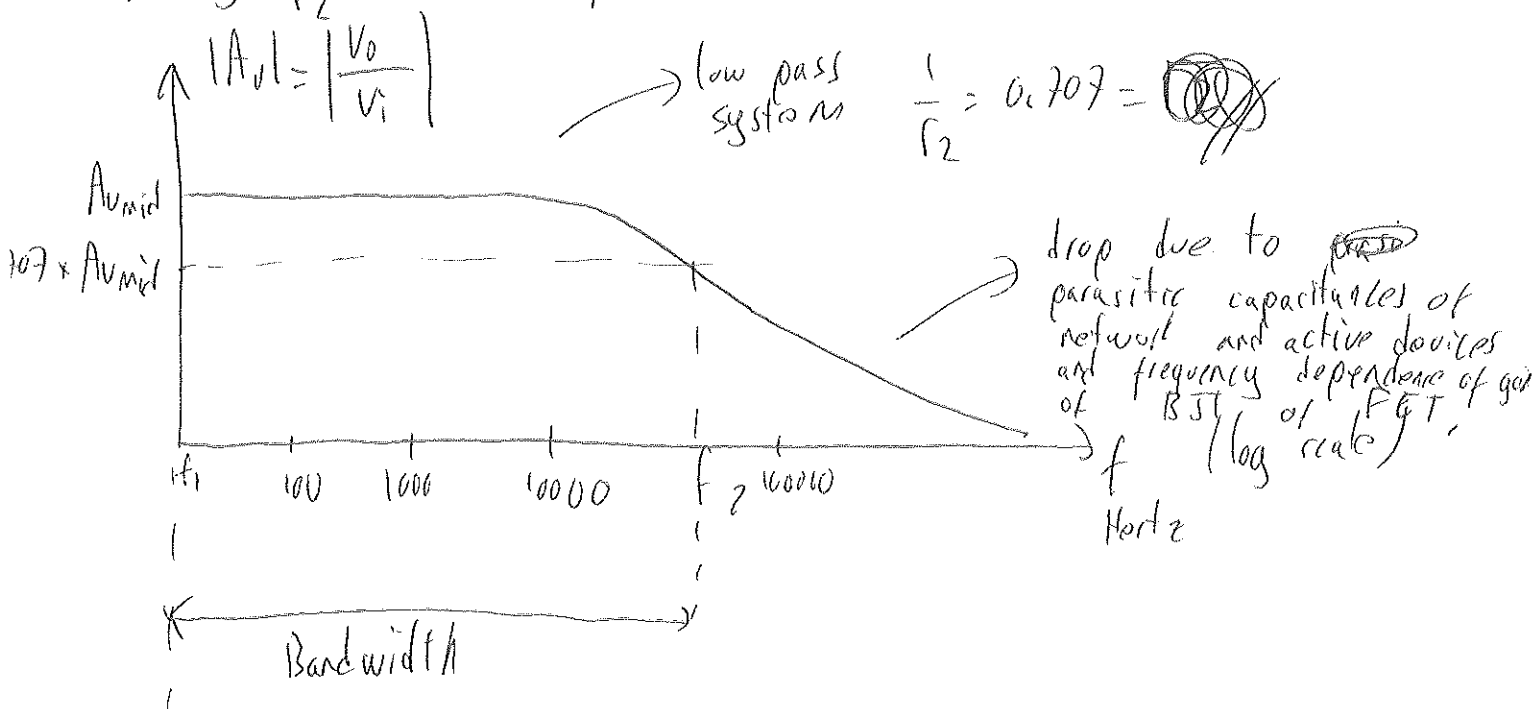
Hence the gain when  $f=0$  Hertz is 0 as there is no longer a changing flux established through the core to induce a secondary or output voltage.

At high frequencies stray capacitance between the turns of primary and secondary windings drops the magnitude response drastically.

Direct-coupled amplifier

\* There are no coupling or bypass capacitors to cause a dip in gain at low frequencies.

\* Hence it is a nearly constant response until corner frequency  $f_2$  (cut-off frequency)



Power at midband (mid-frequencies)

$$P_{o\text{mid}} = \frac{|V_o|^2}{R_o} = \frac{|V_i|^2 \frac{V_o^2}{V_i^2}}{R_o} = \frac{|V_i A_{\text{mid}}|^2}{R_o}$$

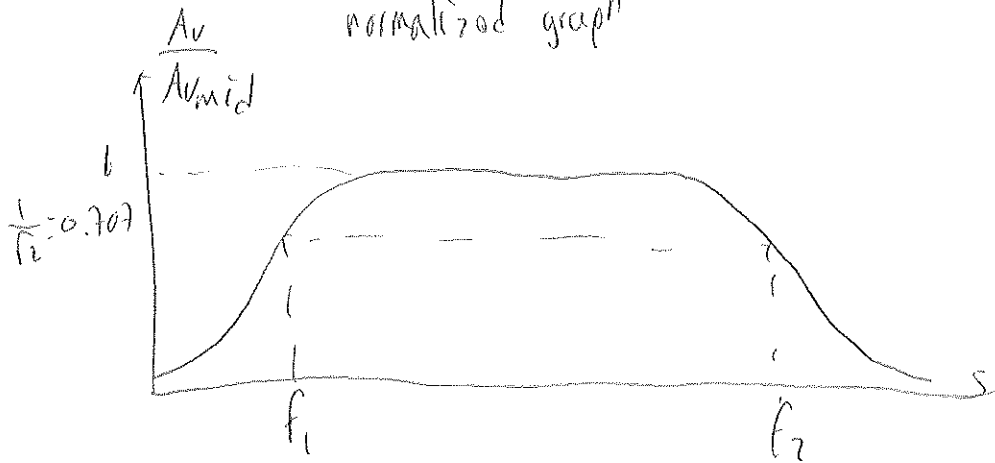
at the cut-off (half power frequency)

$$P_{o\text{HPF}} = \frac{0.5 |A_{\text{mid}} V_i|^2}{R_o} = 0.5 \frac{|A_{\text{mid}} V_i|^2}{R_o}$$

Then  $P_{o\text{HPF}} = 0.5 P_{o\text{mid}}$

bandwidth =  $|f_2 - f_1|$

Normalization of magnitude response  
divide  $|A_v|$  by a factor of  $A_{vmid}$   
normalized graph



$f_1, f_2 \rightarrow$  cut off  
(half power)  
frequencies